

Exercise 1 (4 pts): Give the mathematical expressions equivalent to the following MATLAB instructions: $w = -2 \cdot \log(5 \cdot x) + \sqrt{4 \cdot x^3 + 3}i$; $y = \frac{\text{abs}(2 \cdot n^5 - 3)}{\sqrt{4 \cdot n^2 + \ln(6 \cdot n)}}$; $z = \exp(\sqrt{x} / (2 \cdot y - 1) + |x| - 1 / (y^2 + 3))$; $t = \text{sum}((n:-1:1) ./ (1:n))$.

Correction:

$w \leftarrow -2\ln(5x) + \sqrt{4x^3 + 3}i$, 1pt

$y \leftarrow |2n^5 - 3| / \sqrt{4n^2 + \ln(6n)}$, 1pt

$z \leftarrow e^{\sqrt{x} / (2y - 1) + |x| - 1 / (y^2 + 3)}$, 1pt

$t = n + (n-1)/2 + (n-2)/3 + \dots + 1/n$. 1pt

Exercise 2 (4 pts): Consider the following function with two nested loops:

```
function M=calculate(M)
[n,m]=size(M);
for i=1:n
v=M(i,:);
for j=1:m
M(i,j)=v(m-j+1)
end
end
```

1. Give the value of B after executing the following instructions:
`>> A=[1 2 3 4;5 6 7 8;9 10 11 12];`
`>> B=calculate(A)`
2. Deduce what this function does.
3. Rewrite the calculate function to obtain the same result (without using loops).

Correction :

1. 1pt

B=

4 3 2 1

8 7 6 5

12 11 10 9

2. Renversement des lignes de la matrice 1pt

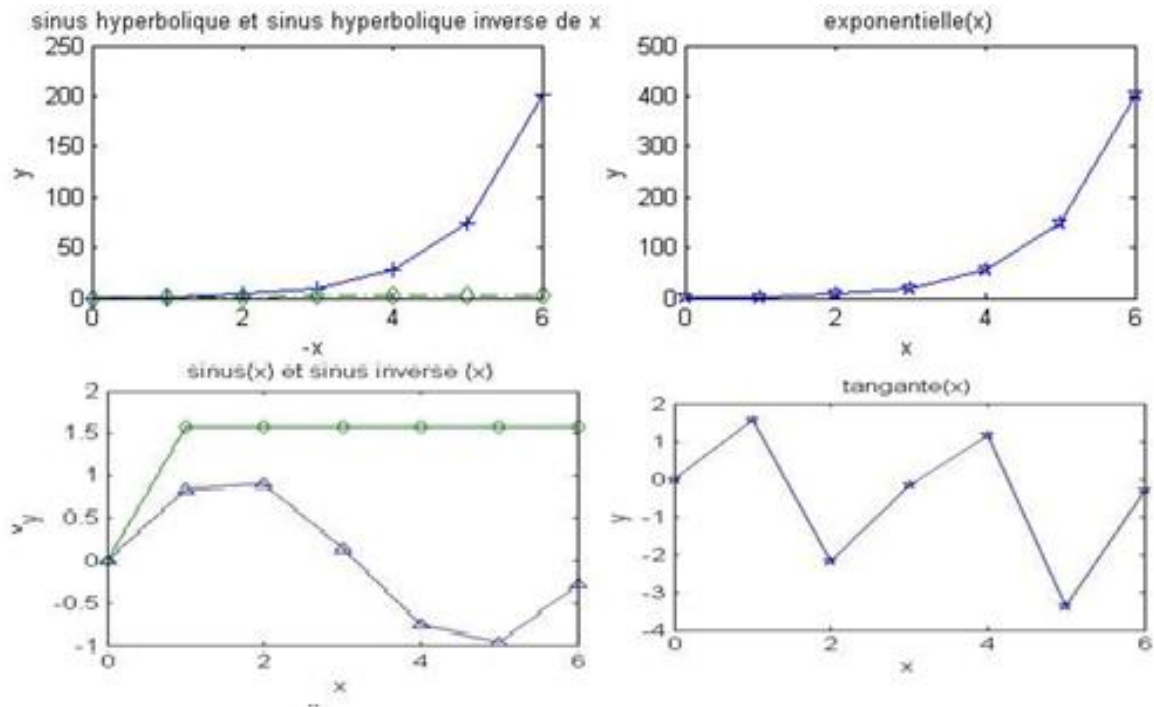
3. 2pt

```
function M=calcul1(M)
m=size(M,2);
N=M;
j=1:m
M(:,j)=N(:,m-j+1)
end
```

Ou

```
function M=calcul1(M)
M=fliplr(M)
end
```

Exercise 3 (8 pts): Write all the MATLAB instructions to plot the following curves:



Correction:

`x=[0:1:6];` 0.5pt

`f=sinh(x);` 0.25pt

`g=asinh(x);` 0.25pt

`subplot(2,2,1), plot(x, f,'+-.',x, g,'-d'), xlabel('-x'), ylabel('y'), title('sinus hyperbolique et sinus hyperbolique inverse de x')` 2pt

`z3=exp(x);` 0.25pt

`subplot(2,2,2), plot(x,z3,'-p'),xlabel('x'), ylabel('y'),title('exponentielle(x)')` 1pt

`z1=sin(x);` 0.25pt

`z2=asin(x);` 0.25pt

`subplot(2,2,3), plot(x,z1,'-^',x,z2,'-d'), xlabel('x'), ylabel('y'),title('sinus(x) et sinus inverse (x)')` 2pt

`y=tan(x);` 0.25pt

`subplot(2,2,4), plot(x,y,'p-'),xlabel('x'), ylabel('y'),title('tangente(x)')` 1pt

Exercise 4 (4pts): write a Matlab script that allows you to calculate and display the approximate values of π for each integer $n \in [1 \ M]$.

$$\frac{1}{1^2 \times 3^2} + \frac{1}{3^2 \times 5^2} + \frac{1}{5^2 \times 7^2} + \dots + \frac{1}{n^2 \times (n+2)^2} = \frac{\pi^2 - 8}{16}$$

Correction :

Function `p= pn(n)` 0.5 pt

`S =0 ;` 0.5 pt

For i=1 :2 :n 0.5pt

S=s+1/(i^2*(i+2)^2) ; 0.5 pt

End

P=sqrt(16*s+8) ; 0.5pt

End

Script :

Clear ;

N=input(' donner un entier positif') ; 0.5pt

For i=1 :n 0.5 pt

Vp(i)= pn(i); 0.5 pt

End

vp